COMPARATIVE SIMULATION STUDY OF PRODUCTION SCHEDULING IN THE HYBRID AND THE PARALLEL FLOW

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ABSTRACT
Scheduling is one of the most important decisions in production control. An approach is proposed for supporting users to solve scheduling problems, by choosing the combination of physical manufacturing system configuration and the material handling system settings. The approach considers two alternative manufacturing scheduling configurations in a two stage product oriented manufacturing system, exploring the hybrid flow shop (HFS) and the parallel flow shop (PFS) environments. For illustrating the application of the proposed approach an industrial case from the automotive components industry is studied. The main aim of this research is to compare results of study of production scheduling in the hybrid and the parallel flow, taking into account the makespan minimization criterion. Thus the HFS and the PFS performance is compared and analyzed, mainly in terms of the makespan, as the transportation times vary. The study shows that the performance HFS is clearly better when the work stations’ processing times are unbalanced, either in nature or as a consequence of the addition of transport times just to one of the work station processing time but loses advantage, becoming worse than the performance of the PFS configuration when the work stations’ processing times are balanced, either in nature or as a consequence of the addition of transport times added on the work stations’ processing times. This means that physical layout configurations along with the way transport time are including the work stations’ processing times should be carefully taken into consideration due to its influence on the performance reached by both HFS and PFS configurations.

KEYWORDS
approach for supporting manufacturing scheduling decision making, heuristics, hybrid flow shop, parallel flow shops, makespan

Introduction

Scheduling production, which is assign to resources that complete the work, is a very important issue from a practical point of view. Proper scheduling requires complex information of tasks. Due to the diversity of scheduling problems, problem definition and characterization can benefit from a scheduling problem specification nomenclature or ontology [1]. We may address scheduling problems by recognizing two main classes of manufacturing environments, namely Product Oriented Manufacturing Systems (POMS) and Function Oriented Manufacturing Systems (FOMS) [2]. Product Oriented Manufacturing Systems are manufacturing systems designed for the manufacture of a single type of product or a family of similar
products. Function Oriented Manufacturing Systems are manufacturing systems, capable of manufacturing the whole or a large spectrum of products of a company, characterized by the existence of functional work centres or departments, each one capable of carrying out a single type of process or manufacturing function. Families of products manufactured in POMS do not always match with market demand families. They are groups of different items that can and should be manufactured together, because they can share the same dedicated set of production resources and processes and, frequently, the same manufacturing operations’ sequence. In this case, the manufacturing system may be configured as a flow shop. POMS advantage, in contrast to FOMS, is better product delivery times, productivity and product quality, what follows from the fact that POMS its high system dedication to the manufacturing of products.

As a result of capacity requirements, in real manufacturing systems more than a single processor or machine per processing stage are requested. Hence, flow shop like POMS may have at each stage a set of replicated or parallel machines, i.e. equivalent machines, which frequently can be considered identical. By replicating machines at different processing stages it is possible to increase throughput, to balance production capacity across the shop floor and, therefore, eliminate or reduce negative effects of bottlenecks on the overall shop efficiency.

In this paper an approach is proposed for supporting scheduling decision making regarding problems that may occur in two different manufacturing environments, which are the Hybrid Flow Shop (HFS) and the Parallel Flow Shop (PFS). Moreover, different kind of transportation mechanisms can also be considered, which will affect the corresponding transportation time and, consequently, turn one type of manufacturing environment to be better suited for a given manufacturing scenario that the other one. Moreover, this paper analyses an industrial case study of the automotive industry as reported by Costa and Varela [3]. Manufacturing system, described in this paper, to consist of thermoforming and pressing operations on a set of car parts, which may either be considered in the context of different manufacturing environments.

The case is studied as two different manufacturing system configurations which may be considered extensions of the classical flow shop system [4, 5]. Thus, two production scheduling problems were identified, according to the underlying manufacturing system’s configurations: a PFS problem, which consists on a replication of two or more simple flow shops in parallel [6] and a HFS problem, which includes two or more machines on one or more of its stages [7-9].

The paper is organized as follows: section 2 presents a short overview of manufacturing systems and scheduling methods. Section 3 briefly reviews the literature on hybrid and parallel flow shops. Section 4 describes the proposed manufacturing scheduling decision support approach. Section 5 analyses the industrial case study carried out. Section 6 presents and discusses results obtained. Section 7 shows an extended study for further comparing the performance of the HFS and the PFS problems, considering transportation time requirements. Finally, section 8 summarizes the main conclusions and proposes future work.

**Manufacturing scheduling**

### A. Manufacturing systems

In a HFS there are two or more identical or equivalent machines or processors in one or more of the processing stages [4, 5]. If a single processor or machine exists per stage, in a flow shop with two stages, the problem of finding an ordered scheduled of a number of tasks, for minimizing makespan, is solvable to optimality in polynomial time [4]. If the number of machines is larger than two, then the problem becomes increasingly more complex and strongly NP-hard [5, 10]. It is known that most real world flow shop problems are NP-hard [6].

The HFS differs from a classical flow shop in that at least one stage has two or more identical machines, while in the classical one only one machine exists per stage. The jobs’ flow in both cases is direct or in sequence [7, 8, 11-18]. Thus, all jobs have multiple operations and are processed without preemption, following the same linear path through the system. Some authors refer the HFS as a flexible flow shop or flexible flow line [17].

The PFS environment may be defined as a replication of several classical flow shops, i.e., instead of having just one classical flow shop we may have several of them, in parallel, and all of them integrating an unique manufacturing system [6].

The scheduling problem in a HFS environment may also be seen as a generalization of the parallel-machine shop scheduling problem with a single stage, which has been proved to be a NP-hard scheduling problem [18].
A HFS is a manufacturing system that offers much flexibility but puts high demand on jobs handling [16-18].

Alternative manufacturing systems with a quite simple production flow include several variants of flow shop based systems, varying from simple flow shops, up to no-wait flow shops or lines and parallel flow shops [19-21].

The manufacturing system considered by Vairaktarakis and Elhafsi [21] consists of a parallel flow line design, studied for the two stage case, with \( F_i, \ldots, F_m \), flow shops, each consisting of a series of two machines \( M_{ij} \) and \( M_{ji} \) (\( i = 1, \ldots, m \)). Vairaktarakis and Elhafsi were also address the Parallel Hybrid Flow Line problem with two stages where \( m \) parallel hybrid flow lines are defined with an identical machine in the stage one for each line and the sharing of the whole set of identical \( m \) machines in the second stage.

B. Scheduling methods

In the literature we can find a wide variety of scheduling methods, varying from discrete programming [22] to meta-heuristics [23] and artificial intelligence based methods [24-28].

Unfortunately, practical implementations were made only for certain constraints, for example for one or two machines, for cyclic production [29-31], and additional assumptions (e.g. infinite storage capacity) meant that these solutions are in most cases difficult to be directly and appropriately used in industrial practice.

Frequently occurring disturbances cause the need to update the schedule and adapt it to current production conditions. Production scheduling in terms of dynamically changing factors influencing the manufacturing system predictive-reactive scheduling are applicable [32-37]. Many strategies for production planning and control under disturbances have been presented in the literature dedicated to flexible manufacturing cells and systems [38-42]. The literature also indicates the availability of such strategies for other manufacturing systems, such as: the single machine systems [43-45], the parallel machine systems [46, 47], the flow shops [48] and the job shops [49,50].

For NP-hard scheduling problems heuristics are the major way to solve these problems in acceptable time. En example of simple heuristics are dispatching rules. Heuristic methods are methods that have been largely applied to solve scheduling problems. This is because frequently they are intuitive and easy to implement [51-57].

Important generic procedures referred to as meta-heuristics, many involving biologically inspired computing and other natural phenomena, have been used to develop highly effective and efficient heuristics for complex scheduling problems [51-75].

Many authors [23-29] have contributed with several methods, i.e., algorithms and heuristics for solving problems in the manufacturing environment addressed in this paper and other environments.

Described methods are available through integrated scheduling systems, for example LEKIN [23], which is available free of charge, Lisa [24], and among many others described in [58-75].

For solving the HFS, described in this paper, we were used LEKIN scheduling system, which includes several kinds of methods for a variety of manufacturing environments, such as, single machine, parallel machines, flow shop, job shop, flexible or hybrid flow shop, and flexible job shop environments. This system uses dispatching rules, built-in heuristics and user-defined heuristics to solve problems to meet several criteria, including, \( C_{\text{max}} \), maximum tardiness, total number of late jobs, total flow time, total tardiness, total weighted flow time and total weighted tardiness [51].

The aim of this research to achieve satisfied result for the makespan minimization criterion in automotive industrial case modelled as hybrid flow shop and the parallel flow shop.

State of art

In this section a brief literature review of HFS and PFS manufacturing environments is presented for a better contextualization of the study described in this paper.

A. Hybrid flow shop

The HFS scheduling attracted many researchers after Johnson’s seminal paper [4].

The first research papers about HFS scheduling did appear in the 1970’s with Salvador [9]. Few years later, Garey and Johnson [10] did show that the HFS problem with makespan objective is NP-complete. Due to this, a large number of heuristics and approximation algorithms have been proposed for different HFS configurations. During the last decade, the research has focused on problems as sequence-dependent setups on machines, machine eligibility, time lags on operations, precedence constraints among jobs, etc. in order to bridge the gap between theory and practice [11]. For machines
without setup times, the proposed dispatching rules are a class of least slack policies that prioritize each job by the difference between its due date or some surrogated measure of it, and the expected amount of time until the job is completed. For resources with setup times, the proposed dispatching rules focus on completing all waiting jobs of one type before performing a setup and processing jobs of another type [76].

Studies on HFS scheduling problems are relatively more recent. Main results deal with makespan criterion and are often limited to two stages. Nevertheless, some work has been done on lateness and tardiness criteria, and important reviews on HFS scheduling date from 1999 [12, 13].

Among recent publications, Ruiz and Maroto [14] made a comparison of 25 methods, ranging from the classical Johnson’s algorithm and dispatching rules to the most recent meta-heuristics. It was also described advanced algorithms considering makespan minimization on hybrid flexible flow shops problems [15]. Another study carried out by Nowicki and Smutnicki [16] presented a fast and easily implementable approximation algorithm for the problem of finding a minimum makespan in a HFS. Moreover, Ribas, et al. [11] made an overview about the state of the art on HFS scheduling problems and Quadt and Kuhn put forward a taxonomy of HFS scheduling procedures [17].

B. Parallel flow shop

Makespan minimization is one of the most frequently studied criteria in the scheduling literature. Cheng, et al. [18] put forward a shifting bottleneck approach for a parallel flow shop (PFS) scheduling problem. Also other authors developed an approximation algorithm for two and three stage PFS to minimize makespan [19]. Furthermore, Cao and Chen [20] used tabu search algorithm to study parallel flow shop scheduling and developed a mathematical programming model for combined part assignment and job scheduling.

Other relevant studies on the PFS problem have been carried out by [6]. It was for example a multi-simulation study to examine the effectiveness of a heuristic algorithm for small and large problems to minimize makespan in proportional PFS. Vairaktarakis and Elhafsi, also proposed the use of flow lines to simplify routing complexity in two-stage flow shops [21].

Proposed approach

The approach proposed supports the choice of the combination setting of manufacturing system configuration and material handling or transportation equipment or means, as they can influence transport times between work stations and, therefore, manufacturing system’s performance. The manufacturing system configurations considered are, the HFS and PFS with two manufacturing stages.

The approach steps are illustrated in Figure 1.

![Fig. 1. Proposed approach to support the selection of appropriate scheduling methods for a specified manufacturing system’s configuration and transportation means](image)

It starts with the insertion of the data of the manufacturing scheduling problem instance, for configurations HFS or PFS, by the user, through the Scheduling Decision Support System (SDSS) interface. After, additional information about the transportation means to be considered in the scheduling problem is defined. This information takes the form of transport times between workstations. Next a search process is carried out on the SDSS’s Knowledge Base (KB) about appropriate methods for solving the considered scheduling problem. A selected method is run on a server and the results obtained presented to the user. This allows the user to judge about the quality of the solutions and compare them for each system configuration combined with additional features related to the transportation requirements between workstations in the considered scheduling problem to be solved.

The conceptual arrangement of the manufacturing system configuration, which can be run either as a HFP or PFS, is shown in Figure 2. These alternative configurations are based on a physical setting that is unchanged. So, it is the management logic that configures the system as either an HFS or a PFS. To be more specific it is the...
Assumptions regarding the alternative manufacturing system configurations and the underlying production flow and transportation means and corresponding times are as follows:

- The conceptual physical arrangement considered is the one illustrated in the Figure 2. This is a fundamental assumption to the case dealt with in this paper.
- The minimum transportation time occurs between adjacent machines in the parallel flow-shop system (PFS) configuration, which is \( t \) and denoted by \( t_{ij} \) for all \( i=j \) with \( i \) and \( j = 1, \ldots, m \), as illustrated in Figure 2.
- Transport time to other stations are proportional to \( t \) and dependent on the distance measure by the absolute value of the difference between the number of the station that processes the 1st operation and the one that processes 2nd operation, plus one, i.e.:

\[
t_{ij} = t(|i - j| + 1)
\]

where \( i \) stands for the index of the machine for the 1st operation and \( j \) for the 2nd one.
- The transportation times can vary according to the type of transportation means used. Transport may be manual or can be performed by some devices or vehicles, e.g. automated guided vehicles.

We decided to assume that distances between adjacent machines are identical. This allows specifying transport times as a function of the relative layout position of the machines that are visited next. Thus, we can test the two manufacturing systems configurations on the basis of identical relative positions of the machines used for processing jobs and therefore be on equal comparative basis as far transport times between stations are concerned.

This is, in the opinion of the authors, a way of being able to compare the two configurations, i.e. PFS and HFS, without introducing complexity that could make it difficult to evaluate performance behavior of the configurations when transport times between stations change due to either the use of different handling devices or distance between workstations, or both.

This gives some degree of generality to results that could not be obtained if we consider different distances between workstations. In this case results could be due to these differences and not to the management logic, i.e. based on PFS or HFS as intended.

**Problem description**

The automotive industrial case scheduling problem described in this paper affects with a two-stage manufacturing process [3], which consist of a thermoforming (requires heating a mould) and a pressing operation (consists of a press cutting operation) is shown in Table 1. These operations are applied to twelve types of jobs. Three mould heaters and three presses are available to execute these jobs. Each job requires a heating operation and a pressing operation. It is important that jobs must be processed by a heater before they can be further processed by a press. The 12 jobs’ processing times is shown in Table 1. The jobs must be executed without pre-emption.

Two POMS are configured: one as a PFS and the other as a HFS as shown in Figures 3 and 4. Moreover, additional information about transportation requirements, including times and routings, is specified for each configuration. The resulting scheduling problems are solved using some heuristics and meta-heuristics.

In the conducted research were handled various approaches, rest on hybrid flow shop and parallel flow shop manufacturing configurations, for scheduling the two operations of the twelve tasks, along with the specification of transportation means between workstations of stage 1 and stage 2, according to the proposed approach described in section IV.
Table 1. Processing times

<table>
<thead>
<tr>
<th>Task</th>
<th>Heating time (seconds)</th>
<th>Press time (seconds)</th>
<th>Total time (seconds)</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>320</td>
<td>600</td>
<td>920</td>
</tr>
<tr>
<td>2</td>
<td>320</td>
<td>210</td>
<td>530</td>
</tr>
<tr>
<td>3</td>
<td>320</td>
<td>400</td>
<td>720</td>
</tr>
<tr>
<td>4</td>
<td>230</td>
<td>200</td>
<td>430</td>
</tr>
<tr>
<td>5</td>
<td>280</td>
<td>267</td>
<td>547</td>
</tr>
<tr>
<td>6</td>
<td>320</td>
<td>167</td>
<td>487</td>
</tr>
<tr>
<td>7</td>
<td>230</td>
<td>267</td>
<td>497</td>
</tr>
<tr>
<td>8</td>
<td>280</td>
<td>147</td>
<td>427</td>
</tr>
<tr>
<td>9</td>
<td>280</td>
<td>150</td>
<td>430</td>
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<td>10</td>
<td>300</td>
<td>200</td>
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</tr>
<tr>
<td>11</td>
<td>230</td>
<td>300</td>
<td>530</td>
</tr>
<tr>
<td>12</td>
<td>230</td>
<td>147</td>
<td>377</td>
</tr>
</tbody>
</table>

In a previous study [77], referred here as Case 1, which did not consider transportation times, it was shown that the HFS had a clearly better performance than the PFS on the makespan measure.

Here we make an extension of the study by considering transport times between workstations and using the best performing scheduling algorithm from the previous study, namely the shifting bottleneck routine (SBR) available in the LEKIN scheduling system. This was the algorithm with the best results for both scenarios, HFS and PFS.

**The PFS problem**

The PFS problem involves three two stage parallel flow shops, as illustrated in Figure 3.

For solving the PFS scheduling problem in the Case 1, three different scheduling methods were considered: a kind of total enumeration procedure, the Kedia heuristic combined with the Johnson’s rule and the General Shifting Bottleneck Routine (SBR) available in LEKIN scheduling system [77].

**The HFS Problem**

In this section hybrid flow shop was considered. In Fig 4. shown a two-stage hybrid flow shop. In this configuration a set of jobs has to be processed on a set of processing centers. Each machine centre consists of a set of identical parallel machines, and the non-pre-emptive processing of a job has to be done on exactly one of the machines of each centre. The LEKIN system was used for applying following dispatching rules:
- first come first served (FCFS),
- longest processing time (LPT),
- shortest processing time (SPT),
and a built-in heuristic, which was the shifting bottleneck for the HFS [77].

![Fig. 4. A two-stage hybrid flow shop](image)

**Overall results and discussion**

Considering the results obtained for both configurations, namely PFS and HFS, the best average $C_{max}$ per job, namely $1317$ min, shown in figure 5, was achieved for the HFS, through the application of the General Shifting Bottleneck heuristic.

These results are awaited given the fact that hybrid flow shop is more flexible than the parallel flow shop, enabling you to achieve higher resource utilization. However, the degree of utilization of resources positively affects the value of makespan.

![Fig. 5. Comparison of different makespan results for PFS and HFS configurations by using different scheduling approaches](image)

**Case Study Extension**

Now, we extend the analysis for evaluating the impact of changing conditions related to
transportation times, for the two configurations studied, namely PFS and HFS, using the best performing scheduling method referred, which was the General Shifting Bottleneck heuristic.

Thirty problem instances, including 12 jobs (as in the original industrial case - Case 1) were considered.

Therefore, we did repeat the execution of the General Shifting Bottleneck method, available through the Lekin scheduling system, first for two additional situations (Case 2.1 and 2.2), as described below:

Case 2.1: 30 problem instances with balanced work load between both processing stages (operations) for the 12 jobs considered and a scenario 1, with 1 minute of transport time, included just in the processing time of the first operation/stage.

Case 2.2: 30 problem instances with balanced work load between both processing stages (operations) for the 12 jobs considered and a scenario 2, with 2 minutes of transport time, but distributed similarly through both operations/stages.

Regarding each of the two scenarios of transport times: scenario 1, with 1 minute, and scenario 2 with 2 minutes of transport time, between adjacent workstations, considered in the Cases 2.1 and 2.2, we must refer that we converted the tasks’ processing times of seconds in minutes to use coherent measures of time.

Using the best algorithm already referred, we calculated the makespan for all the 30 problems instances regarding the Cases (2.1, 2.2). For all problem instances evaluated this differences did vary between 0 and 3 minutes. If differences are zero each configuration counts one in the 0 distance to the best. If it is one it counts one for the best (the other accounts for zero in the total counting), as shown in Figures 6 and 7.

T-Test between averages was considered for performing the statistical analysis considering both configurations PFS and HFS. Tables II and III show the results obtained considering the two hypotheses, corresponding the two referred scenarios.

\[ H_0: \mu_{HFS} = \mu_{PFS} \]
\[ H_1: \mu_{HFS} \neq \mu_{PFS} \]

For both scenarios it is not possible to assume equal means, as the null hypothesis \( H_0 \), was rejected with 95% of confidence level \( p\text{-value}=X<\alpha \).

![Fig. 6. Difference between both makespan for 1 min. of transportation time](image)

![Fig. 7. Difference between both makespan values for 2 min. of transportation time](image)

<table>
<thead>
<tr>
<th>Table 2. T-Test results (transportation time 1 min.)</th>
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<tbody>
<tr>
<td>Distance to the best of both</td>
</tr>
<tr>
<td>-------------------------------</td>
</tr>
<tr>
<td>52,15</td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th>Table 3. T-Test results (transportation time 2 min.)</th>
</tr>
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<tbody>
<tr>
<td>Distance to the best of both</td>
</tr>
<tr>
<td>-------------------------------</td>
</tr>
<tr>
<td>35,16</td>
</tr>
</tbody>
</table>

Using the statistical analysis for this Case 2.1 with scenario 1 the HFS configuration continues to perform better than the PFS, as shown in Figure 6. The Figure 6 shows that for 28 of the 30 problem...
instances the best solutions were obtained for the HFS configuration, while for the PFS only 17 times this happens. Therefore the HFS outperforms the PFS configuration 11 times, within this scenario 1.

For scenario 2 the PFS configuration did enable to achieve better performance than the HFS one, as the statistical analysis and Figure 7 show. In fact 27 of the total 30 problem instances, best solutions were obtained for the PFS configuration, while for the HFS only 12 times this happens. Therefore the PFS outperforms the HFS configuration 15 times, within this scenario 2, i.e. 2 minutes of transport time between adjacent workstations.

For being able to better clarify the performance of both configurations (HFS and PFS) considered, two other cases were analyzed (Case 3 and Case 4), each one including 25 problem instances with 12 jobs, as described next:

Case 3: 25 problem instances with unbalanced work load between both processing stages (operations) for the 12 jobs considered, being the work load around 10% greater in the first processing stage (1st operation) than in the second one.

Case 4: 25 problem instances with unbalanced work load between both processing stages (operations) for the 12 jobs considered, being the work load around 10% greater in the second processing stage (2nd operation) than in the first one.

Figure 8 presents the results obtained for these additional Cases (3 and 4) considered. Through this figure we can realize that the configuration HFS clearly shows advantage by outperforming the PFS configuration PFS in both cases, as in Case 3 the HFS did reach a better makespan 22 times and the PFS configuration just 3 times, and in Case 4 the HFS did reach a better makespan 21 times and the PFS configuration just 2 times and in the remaining 2 runs both configurations did reach a same makespan value in this Case 4.

Through this extended study carried out it is possible to verify that the PFS is just advantageous when the work load between stations is well balanced and that the HFS configuration becomes more advantageous when the work load between stations becomes less homogeneous or unbalanced, as shown through this study based on an industrial case study from an automotive production scenario, which includes 2 work stations (operations) and on which variations of around 10% were added to the first operation in Case 3 and on the second operation in Case 4.

Moreover, we may also realize that we have to be aware that the distribution or inclusion of transport times, in this case considered on both operations or just in one of them will turn the work load among stations unbalanced and, therefore, affect significantly the results obtained in terms of the quality of the makespan reached by both configurations considered (HFS and PFS).

Scheduling is an important and necessary issue to deal with in every production system. Good scheduling ensures good use of resources and timely delivery of orders to customers. Due to the large number of criteria to be considered in scheduling problem, it is recommended to used methods supporting decision-making, which effectiveness is proven in numerous publications [77-81].

Based on an industrial case in this paper we study and compare the makespan performance of two alternative manufacturing systems configurations, namely the Parallel Flow Shop (PFS) and the Hybrid Flow Shop (HFS: The best performing evaluated efficient scheduling algorithm for both was used, i.e. the General Shifting Bottleneck Routine (SBR), available in the scheduling system LEKIN [23].

The study was based on a physical setting that is unchanged, as it is the routing of the jobs’ operation to the second stage of manufacturing, provided with a set of identical machines that configures the system to be operated as either a PFS or a HFS configuration.

One important practical conclusion of this study is that system’s configuration along with the specification of transportation means/time does influence the overall manufacturing system performance, having an influence on what operating scenario to chose to run the manufacturing system. It means that this factors should be carefully taken into consideration due to its influence on the performance reached by both HFS and PFS configurations.
In general, and also based on a previous study [82], we are able to state, based on an analysis of 25 problem instances of problems of the same extend of 12 jobs, that the PFS performs better than the HFS when the processing times among stages are well balanced and transport times are homogenously distributed over the working stages’ processing times but loses advantage, and becomes clearly worse than the performance of the PFS configuration as the working stages’ processing times, including or not transport times become less homogeneous and unbalanced.

Therefore, we may state that practitioners must be aware of the importance of transport times and the way these times are considered or added over the working stages’ processing times, when operating production systems with direct flow either as Parallel Flow Shops or Hybrid Flow Shops, as this can determine which of this two configurations will be best suited for each production scenario.

The authors intend to apply the approach proposed for studying the performance of different operating systems configurations dependent on job routings and transport times, in a fixed layout of a manufacturing system, to more complex systems, namely for more than two processing stages.

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